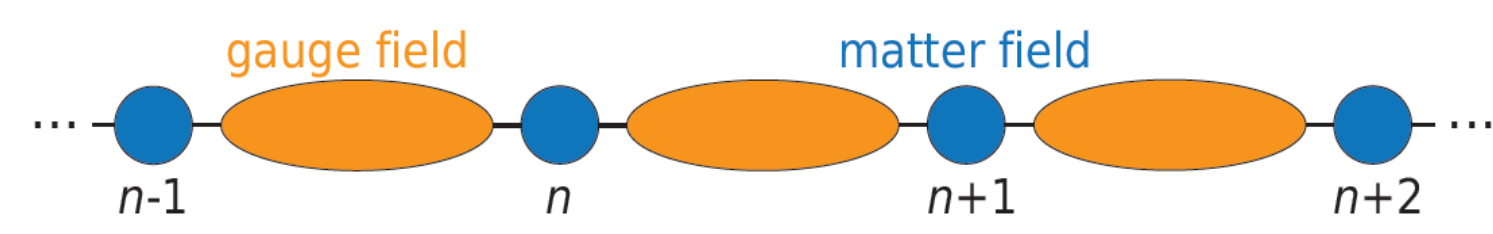


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SynQS

## Dynamical gauge fields

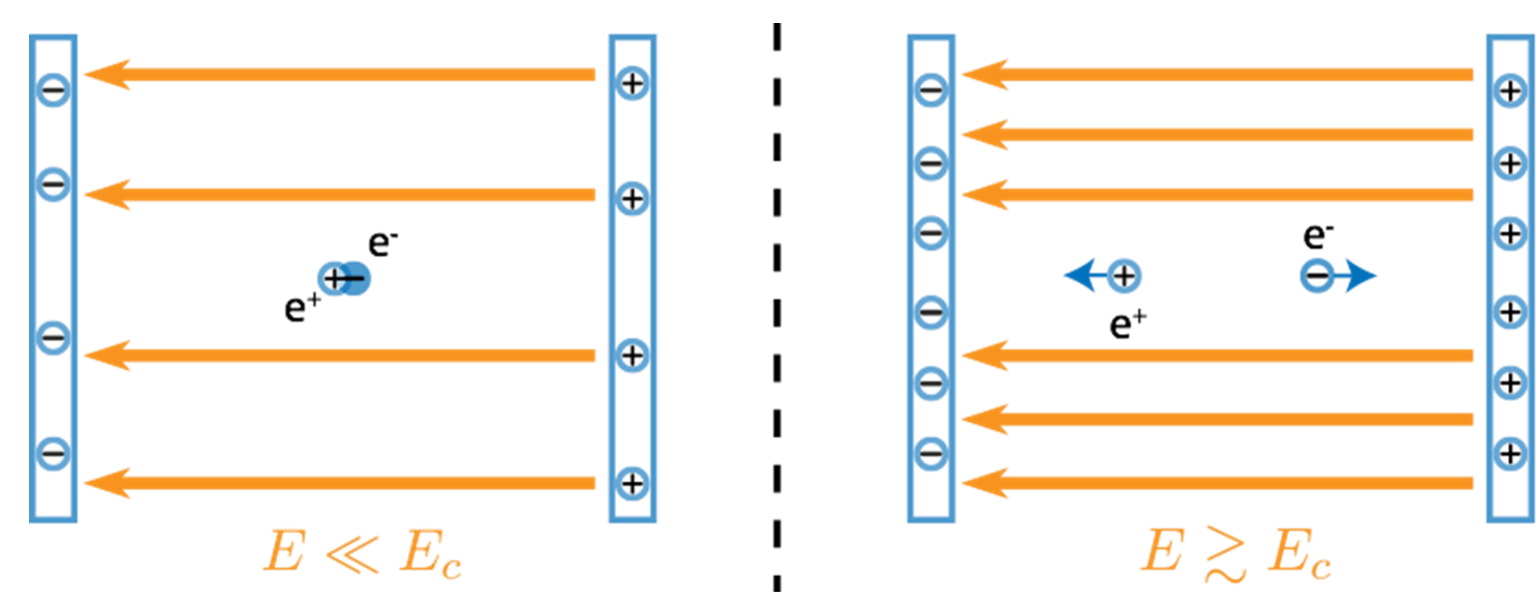
- Gauge theories are fundamental to Standard Model of High-Energy Physics (HEP). They are built up of fermionic and bosonic particles, which represent matter field and force carriers respectively.
- Requirements to simulate a HEP process using atomic systems:
  1. Work with finite dimensional Hilbert space, i.e. local implementation of gauge fields.
  2. Inclusion of both fermions and bosons.
  3. Interactions preserving local gauge invariance, i.e. satisfy Gauss' law.



- Realize the dynamical gauge field using ultracold atoms in optical lattices.
- Fermionic (mass) species reside on the lattice sites, bosonic (gauge field) on the links.

## Schwinger pair production

- Vacuum becomes unstable at very high static electric fields leading to electron-positron pair creation.



$$\text{Pair production rate } P = \exp\left(-\pi \frac{E_c}{E}\right)$$

$$\text{Critical field strength, } E_c = \frac{m_e^2 c^3}{\hbar e} \approx 10^{18} \text{ Vm}^{-1}$$

$$I_c \approx 10^{29} \text{ Wm}^{-2}$$

Can we construct a quantum simulator?

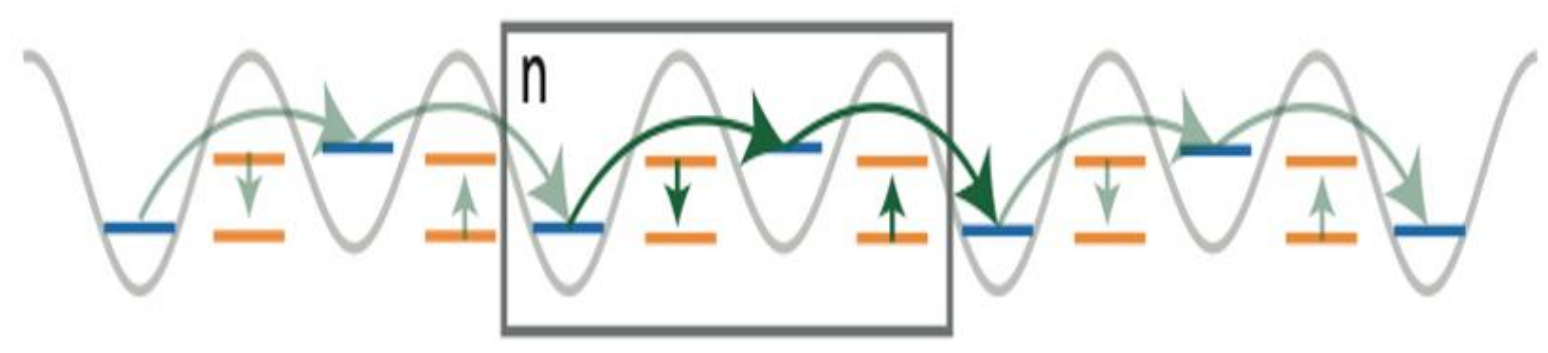
## QED in 1+1 D

### Quantum link model:

- Gauge fields are replaced by quantum mechanical spins  $\hat{L}_n$ .
- A discrete 'Electric field' is represented by  $\hat{L}_{n,z}$ .

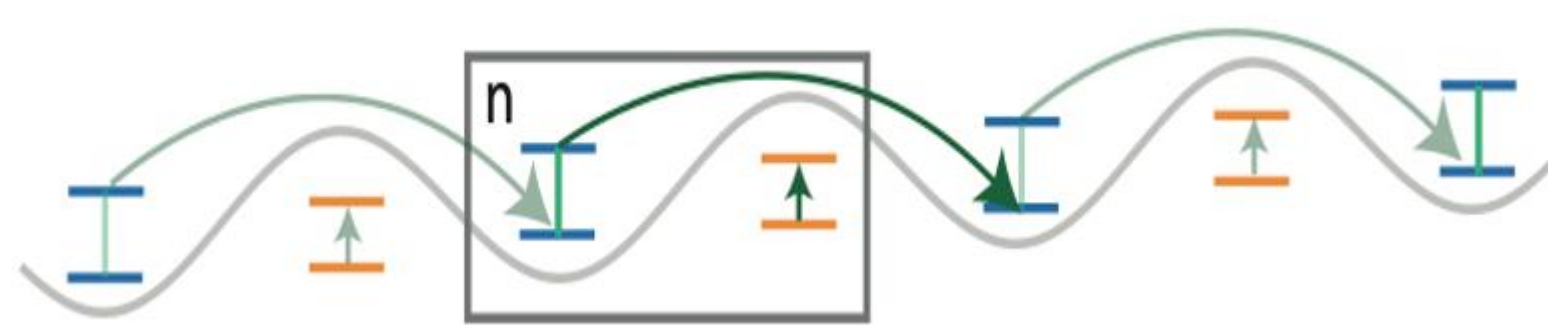
### Formulation of U(1) gauge theories for cold atoms:

**A. Kogut -Susskind formulation:** A staggered lattice  
J. Kogut and L. Susskind, Phys. Rev. D 11, 395 (1975).  
Kasper et al., NJP 19, 023030 (2017)



**B. Wilson formulation:** A tilted lattice

T.V. Zache et al. Quantum Sci. Technol. 3 034010 (2018)

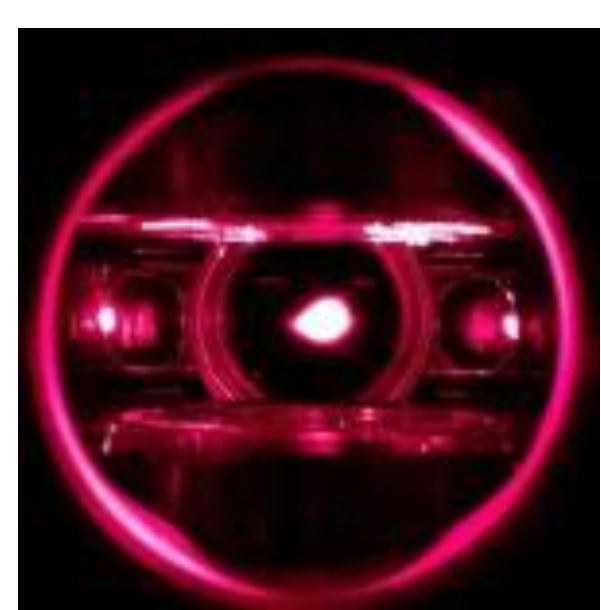
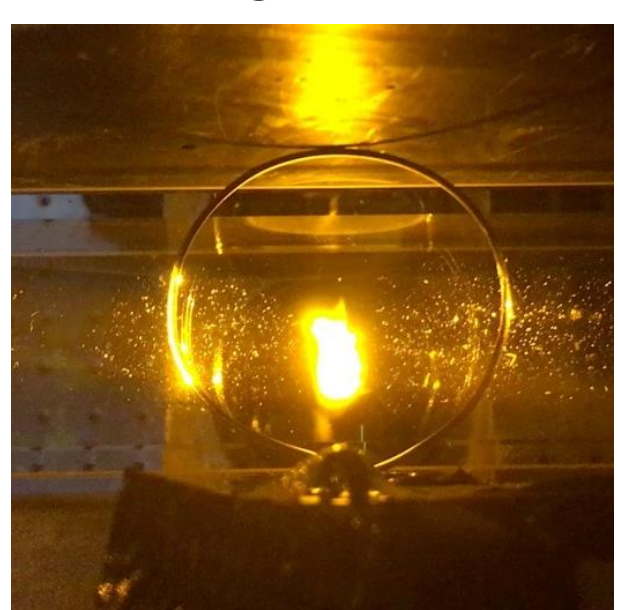


### Experimental implementation with atomic mixtures:

Alexander Mil et al. arXiv:1909.07641(2019)

Gauge field

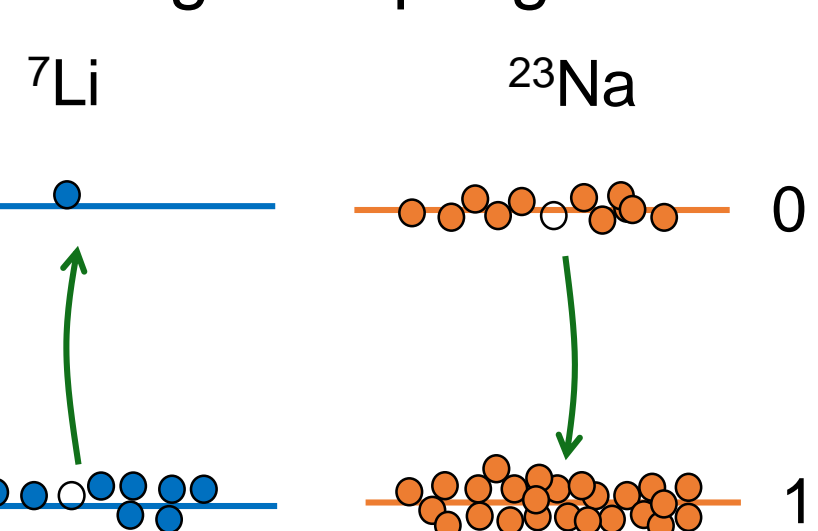
Matter field



Sodium

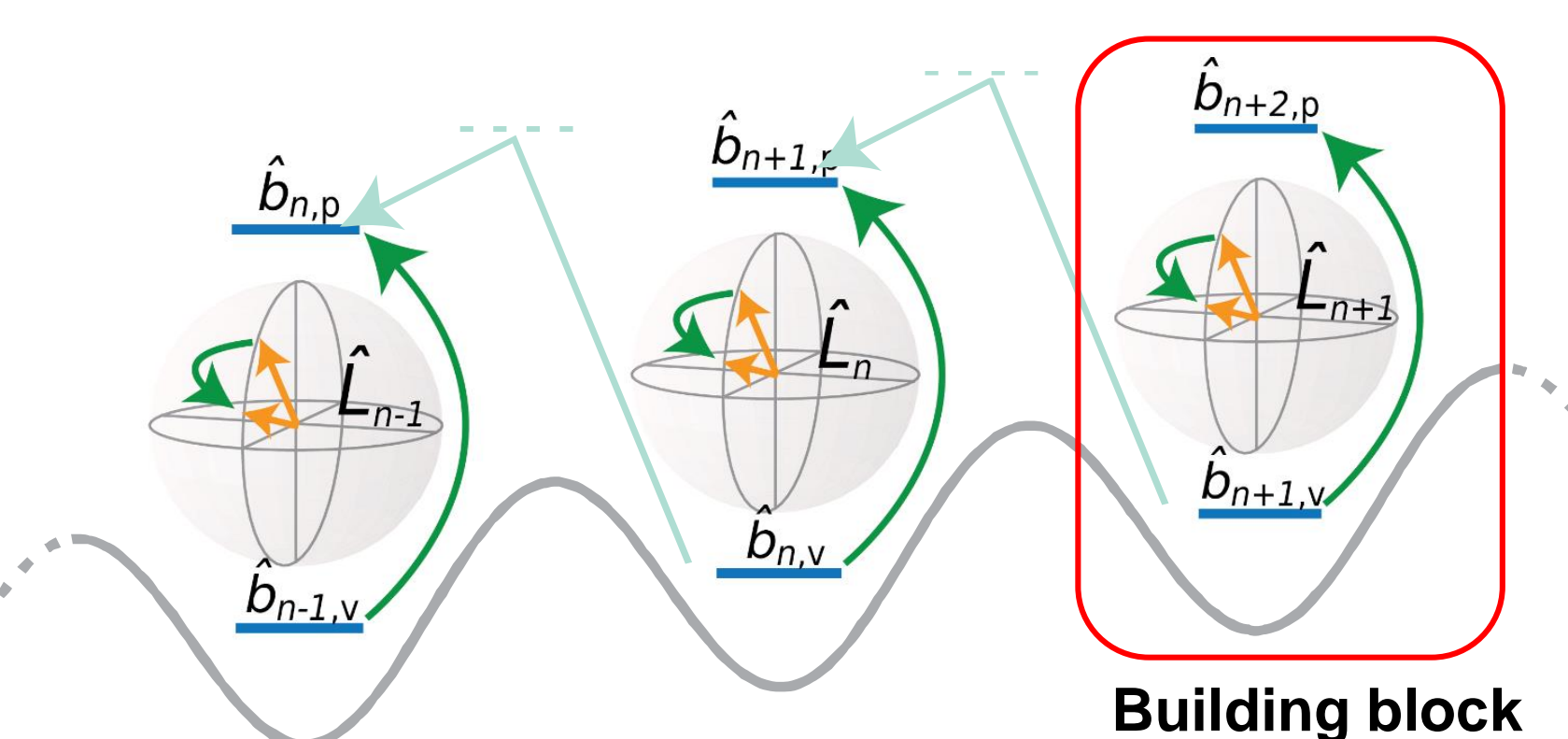
Lithium

Gauge coupling

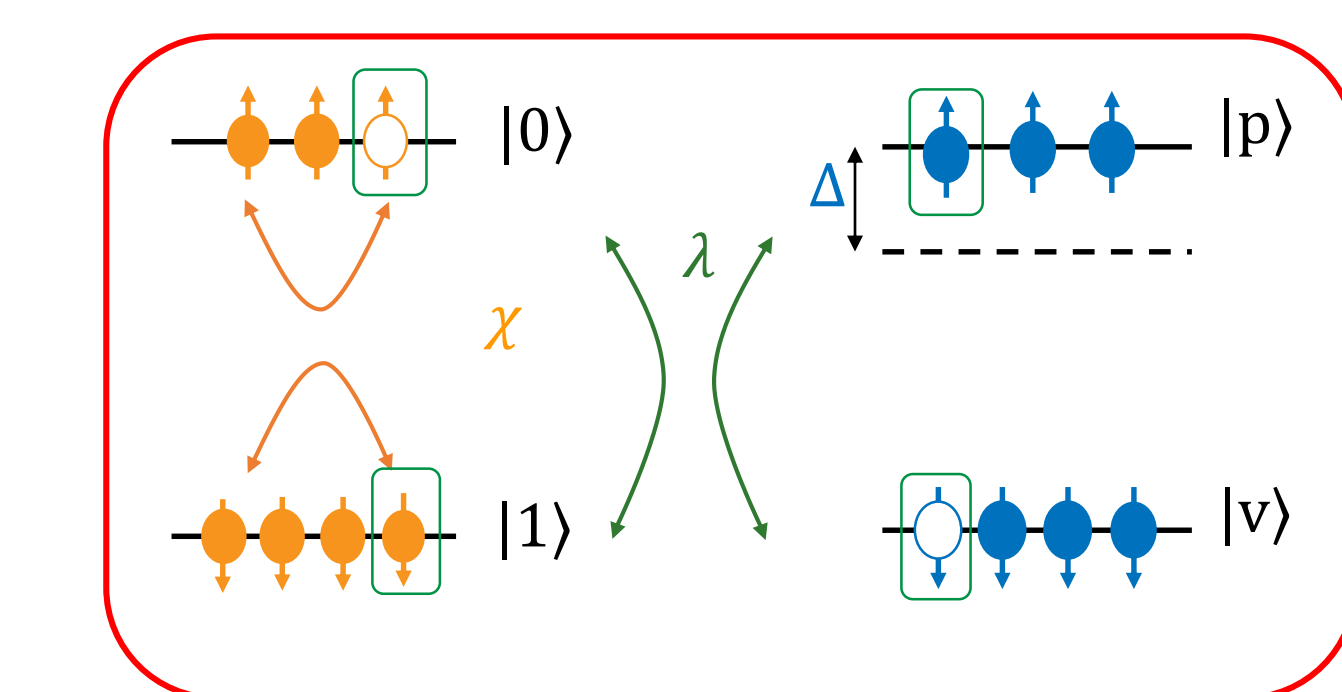


Spin changing collisions

$$\text{U(1) gauge theory in 1DH} = \sum_n [H_n + \hbar\Omega(\hat{b}_{n,v}^\dagger \hat{b}_{n+1,p} + h.c.)]$$



Building block



U.-J. Wiese, 10.1002/andp.201300104

$$H_n = \chi L_{z,n}^2 + \frac{\Delta}{2} (\hat{b}_p^\dagger \hat{b}_p - \hat{b}_v^\dagger \hat{b}_v) + \lambda (\hat{b}_p^\dagger \hat{L}_- \hat{b}_v - \hat{b}_v^\dagger \hat{L}_+ \hat{b}_p)$$

Gauge field

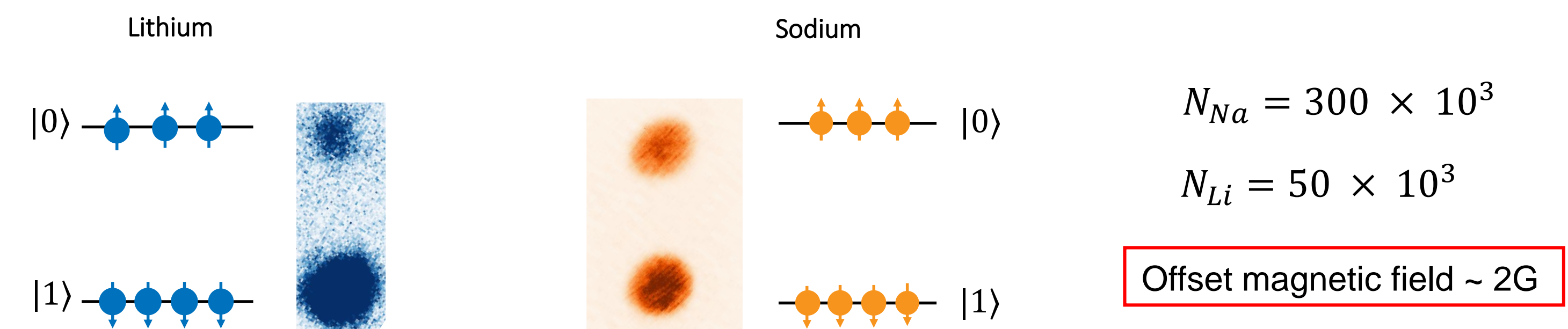
Matter field

Gauge coupling

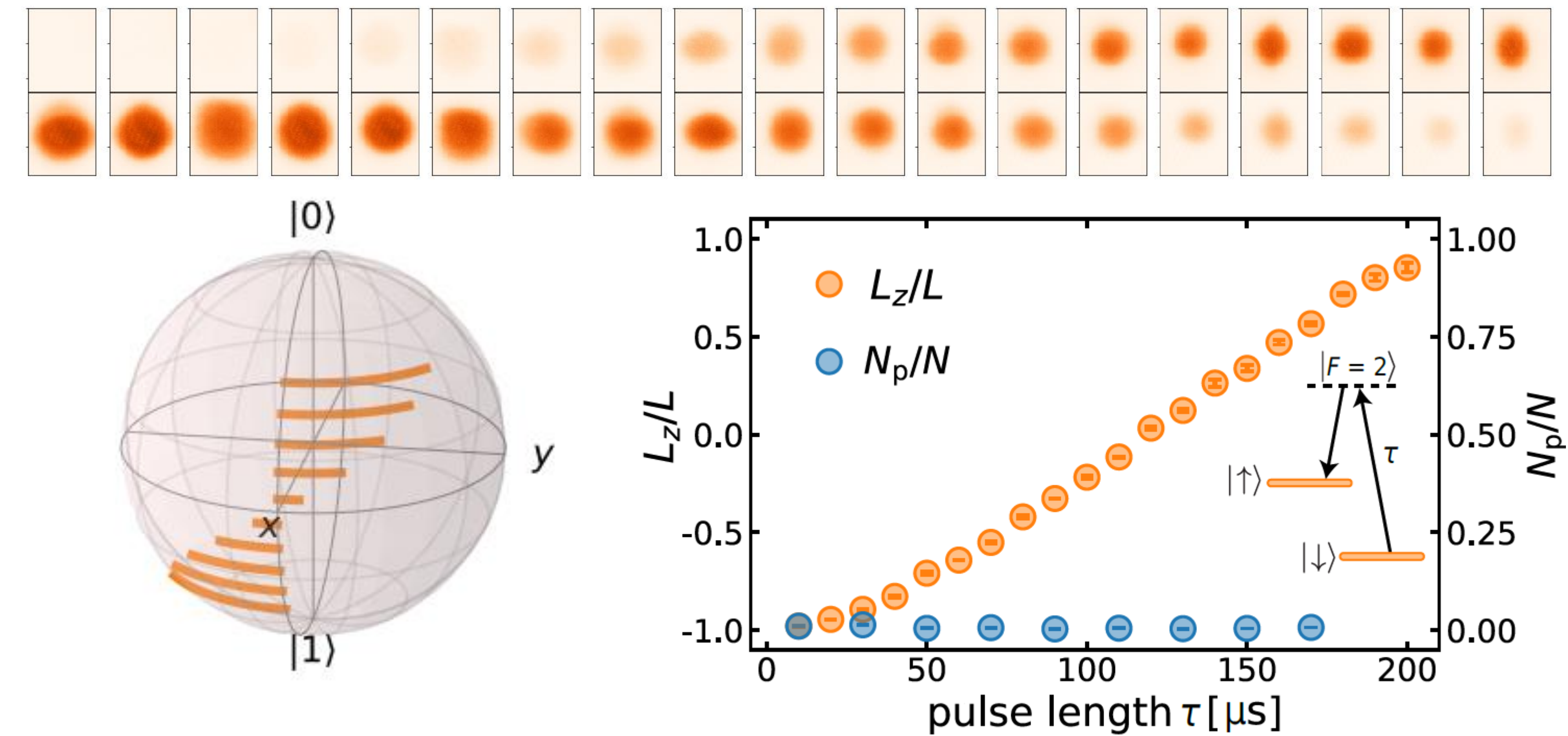
Related works: Görg et al. Nature Physics, volume 15, 1161-1167(2019)  
Schweizer et al. Nature Physics, volume 15, 1168- 1173(2019)

## Initial state preparation

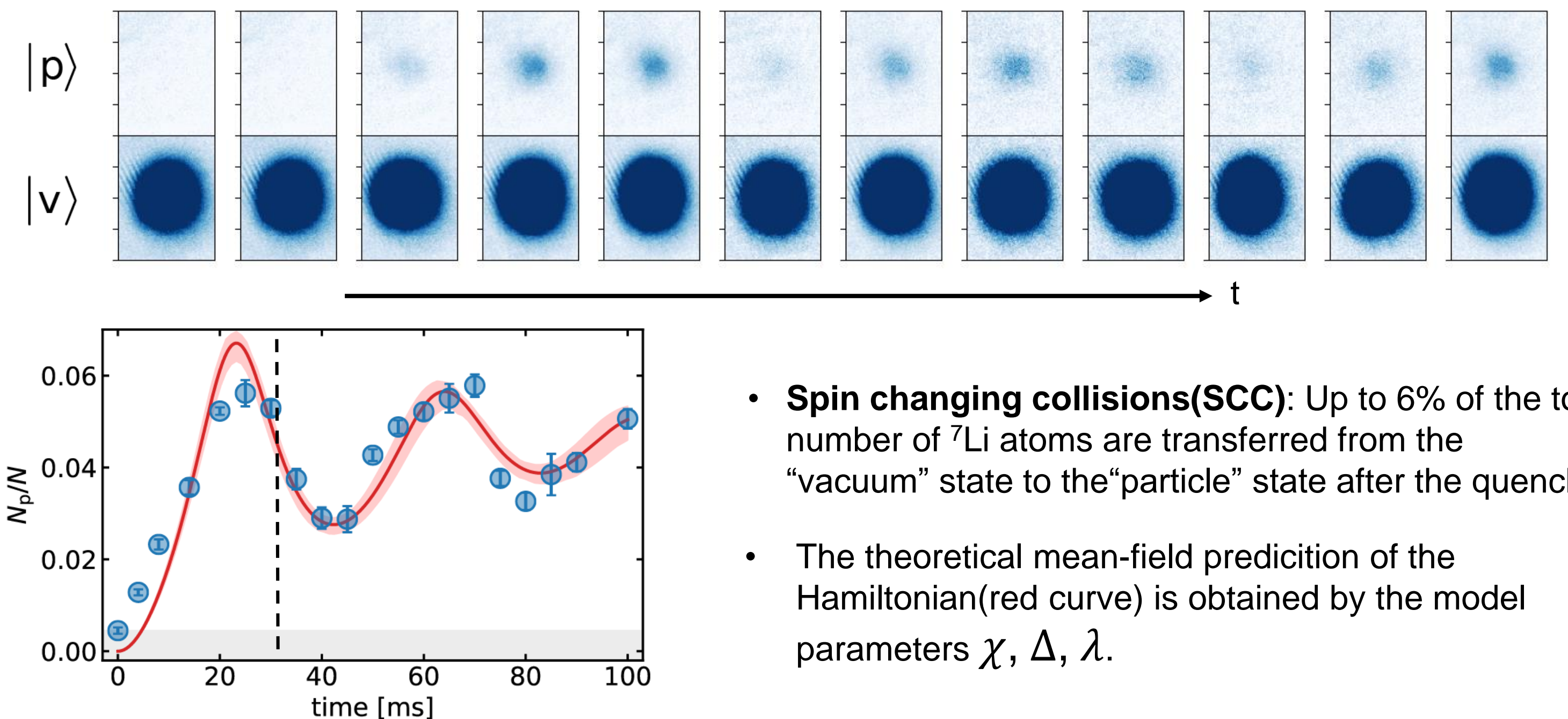
### Condensing <sup>23</sup>Na and <sup>7</sup>Li to quantum degeneracy:



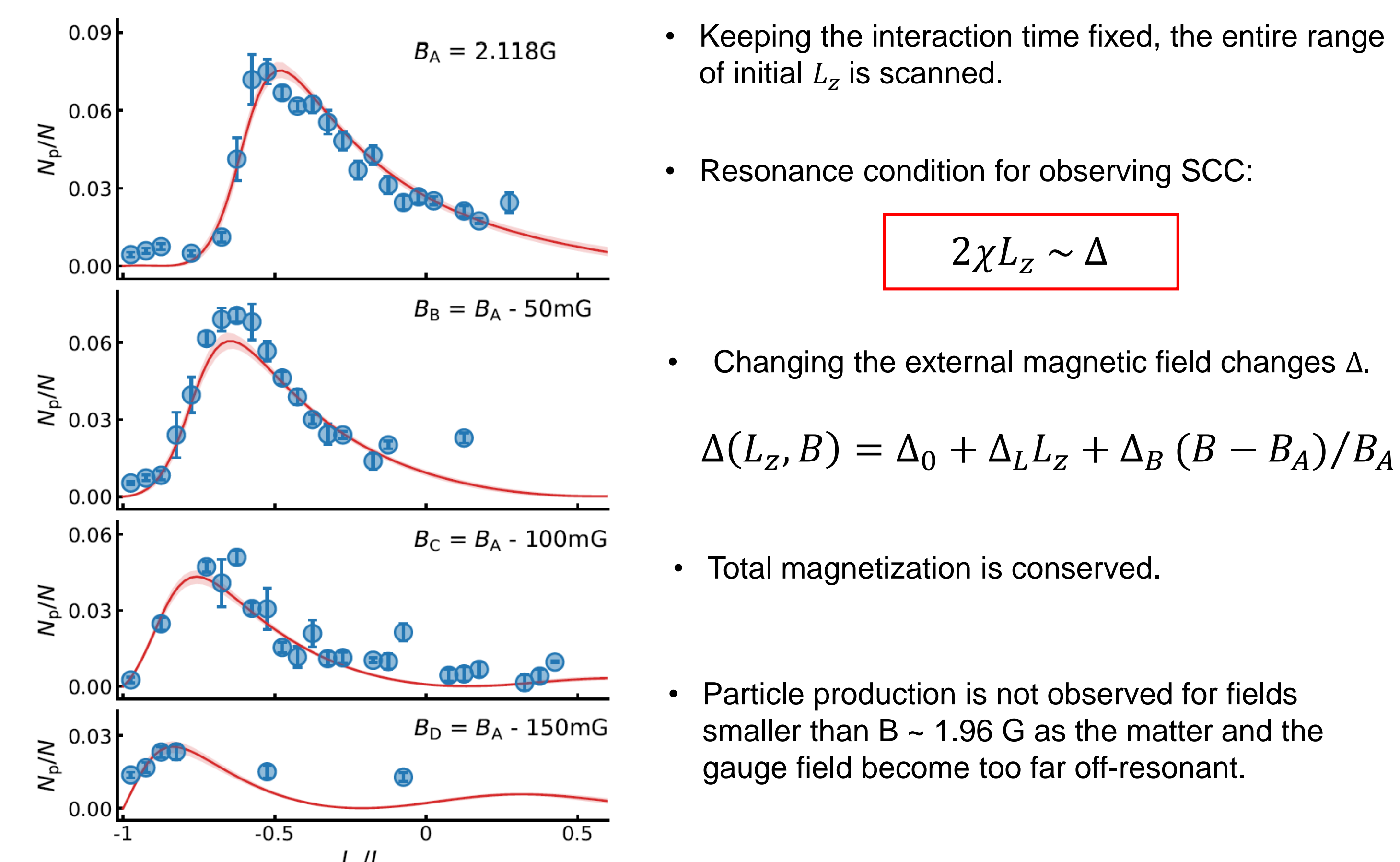
### Preparing coherent superposition of internal states in <sup>23</sup>Na:



### Dynamics of particle production:



### Tuning the gauge field: Resonant particle production



## Outlook

- Lattice confinement with a 532 nm laser, with the lattice depth being much deeper for Na than Li.
- Connecting the building blocks with laser-assisted tunneling.
- Observe spin changing collisions between sodium and fermionic lithium.

